# **Alternate Exterior Angles Theorem**

# **Examples & Non-Examples**

Example	Example	Non-Example
	$\frac{3}{\ell}$ $\ell$ $m$	60° m
Since lines I and m are parallel, then angles 1 and 2 are congruent because they are alternate exterior angles.	Since lines I and m are parallel, then angles 3 and 4 are congruent because they are alternate exterior angles.	Since these are alternate exterior angles, and they are congruent, then lines I and m must be parallel.

## **Definition**

#### The Alternate Exterior Angles Theorem states:

"If two parallel lines are cut by a transversal, then each pair of alternate exterior angles is congruent."

### In simple terms:

- When a transversal crosses two **parallel** lines,
- The **alternate exterior angles** (on opposite sides of the transversal and outside the parallel lines)
- Will always be equal in measure.

### Example:

If line  $l|\ |m$ , and transversal t intersects them, then:

• Angle 1 and angle 2 form a pair of alternate exterior angles, and angle 1 ≅ angle 2.



